## Lesson Plan

Branch: FE Artificial Intelligence and Data Science

| Course Title: Engineering Mathematics II | SEE: 3 Hours - Theory |
| :--- | :--- |
| Total Contact Hours: <br> 27 (Theory) +06 (Tutorial) $=33$ Hours | Duration of SEE: 3 Hours |
| SEE Marks: 80 (Theory) + 20 (IA) |  |
| Lesson Plan Author: Prasad Lalit | Date: $10 / 04 / 2023$ |
| Checked By: | Date: |

Prerequisites: Review of complex numbers - Algebra of complex numbers, Cartesian, Polar; and Exponential form of a complex number

## Syllabus:

Prerequisite: Theory of integration and tracing of curves

## 1. Differential Equations of First Order and First Degree

- Exact differential Equations, Equations reducible to exact form by using integrating factors.
- Linear differential equations (Review), equation reducible to linear form, Bernouli 's equation.

2. Linear Differential Equations with Constant Coefficients and Variable Coefficients of Higher Order

- Linear Differential Equation with constant coefficient- complementary function, particular integrals of differential equation of the type $\mathrm{f}(\mathrm{D}) \mathrm{y}=\mathrm{X}$ where X is $e^{a x}, \sin (a x+b), e^{a x} V, x V$
- Method of variation of parameters.

3. Beta and Gamma Function, Differentiation under Integral sign and Rectification

- Beta and Gamma functions and its properties.
- Differentiation under integral sign with constant limits of integration.
- Rectification of plane curves (Cartesian and polar).

4. Multiple Integration-1

- Double integration-definition, Evaluation of Double Integrals. (Cartesian \& Polar)
- Evaluation of double integrals by changing the order of integration.
- Evaluation of integrals over the given region (Cartesian \& Polar).

5. Multiple Integration-2

- Evaluation of double integrals by changing to polar coordinates.
- Application of double integrals to compute Area
- Triple integration definition and evaluation (Cartesian, cylindrical and spherical polar coordinates).

6. Numerical solution of ordinary differential equations of first order and first degree, and, Numerical Integration

- Numerical solution of ordinary differential equation using (a) Euler 's method, (b) Modified Euler method, (c) Runge-Kutta fourth order method
- Numerical integration- by (a) Trapezoidal (b) Simpson 's 1/3rd (c) Simpson 's 3/8th rule (all with proof).


## Course Outcomes (CO):

On successful completion of course the learner will be able to:
FEC201.1. Apply the concepts of first-order and first-degree differential equations to the problems in the field of engineering
FEC201.2. Apply the concepts of higher-order linear differential equations to the engineering problems
FEC201.3. Apply concepts of Beta and Gamma functions to solve improper integrals
FEC201.4. Apply concepts of the double integral of different coordinate systems to the engineering problems like area and mass
FEC201.5 Apply concepts of the triple integral of different coordinate systems to the engineering problems and problems based on the volume of solids
FEC201.6 Solve the differential equations and integrations numerically using SCILAB software to The experimental aspect of applied mathematics.

CO-PO Mapping: (BL - Blooms Taxonomy, C - Competency, PI - Performance Indicator)

| CO | BL | C | PI | PO | Mapping |
| :---: | :---: | :---: | :---: | :---: | :---: |
| FEC201.1. <br> Apply the concepts of first-order and first-degree differential equations to the problems in the field of engineering | 3 | 1.1 | 1.1.1 | PO1 | 3 |
|  |  | 5.1 | 5.1.1 | PO5 | 1 |
| FEC201.2. <br> Apply the concepts of higher-order linear differential equations to the engineering problems | 3 | 1.1 | 1.1.1 | PO1 | 3 |
|  |  | 5.1 | 5.1.1 | PO5 | 1 |
| FEC201.3. <br> Apply concepts of Beta and Gamma functions to solve improper integrals | 3 | 1.1 | 1.1.1 | PO1 | 3 |
|  |  | 5.1 | 5.1.1 | PO5 | 1 |
| FEC201.4. <br> Apply concepts of the double integral of different coordinate systems to the engineering problems like area and mass | 3 | 1.1 | 1.1.1 | PO1 | 3 |
|  |  | 5.1 | 5.1.1 | PO5 | 1 |
| FEC201.5. <br> Apply concepts of the triple integral of different coordinate systems to the engineering problems and problems based on volume of solids | 3 | 1.1 | 1.1.1 | PO1 | 3 |
|  |  | 5.1 | 5.1.1 | PO5 | 1 |
| FEC201.6. <br> Solve the differential equations and integrations numerically using SCILAB software to the experimental aspect of applied mathematics. | 1 | 5.1 | 5.1.1 | PO5 | 1 |


|  | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | PO11 | PO12 |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| FEC201.1 | 3 |  |  |  | 1 |  |  |  |  |  |  |  |
| FEC201.2 | 3 |  |  |  | 1 |  |  |  |  |  |  |  |
| FEC201.3 | 3 |  |  |  | 1 |  |  |  |  |  |  |  |
| FEC201.4 | 3 |  |  |  | 1 |  |  |  |  |  |  |  |
| FEC201.5 | 3 |  |  |  | 1 |  |  |  |  |  |  |  |
| FEC201.6 |  |  |  |  | 1 |  |  |  |  |  |  |  |

Justification: PO1: The course provides the essential mathematical knowledge required in the fields of engineering and technology.
PO5: The course provides hands-on experience using SCILAB software to handle real-life problems.

## CO Measurement Weightages for Tools:

|  | Test | Lab | Assignment | SEE (O) | SEE (T) | Course Exit <br> Survey |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| FEC201.1 | $30 \%$ | --- | $10 \%$ | --- | $60 \%$ | $100 \%$ |
| FEC201.2 | $30 \%$ | --- | $10 \%$ | --- | $60 \%$ | $100 \%$ |
| FEC201.3 | $30 \%$ | --- | $10 \%$ | --- | $60 \%$ | $100 \%$ |
| FEC201.4 | $30 \%$ | --- | $10 \%$ | --- | $60 \%$ | $100 \%$ |
| FEC201.5 | $30 \%$ | --- | $10 \%$ | --- | $60 \%$ | $100 \%$ |
| FEC201.6 | --- | $100 \%$ | --- | --- | --- | $100 \%$ |

## Attainment:

## CO FEC201.1:

Direct Method
$A_{\text {FEC } 201.1 D}=0.3 *$ Test $+0.1 *$ Tutorial $+0.6 * S E E$ Theory
Final Attainment:
$A_{\text {FEC 201.1 }}=0.8 * A_{\text {FEC 201.1D }}+0.2 * A_{\text {FEC201.1I }}$

## CO FEC201.2:

Direct Method
$A_{\text {FEC201.2D }}=0.3 *$ Test $+0.1 *$ Tutorial $+0.6 * S E E \_$Theory
Final Attainment:
$A_{F E C 201.2}=0.8 * A_{F E C 201.2 D}+0.2 * A_{\text {FEC } 201.2 I}$

## CO FEC203.3:

Direct Method
$A_{\text {FEC201.3D }}=0.3 *$ Test $+0.1 *$ Tutorial $+0.6 *$ SEE_Theoryy
Final Attainment:
$A_{\text {FEC } 201.3}=0.8 * A_{\text {FEC } 201.3 D}+0.2 * A_{F E C 201.3 I}$

## CO FEC204.4:

Direct Method
$A_{\text {FEC } 201.4 D}=0.3 *$ Test $+0.1 *$ Tutorial $+0.6 * S E E \_$Theory
Final Attainment:
$A_{\text {FEC 201.4 }}=0.8 * A_{F E C 201.4 D}+0.2 * A_{\text {FEC } 201.4 I}$

## CO FEC201.5:

Direct Method
$A_{\text {FEC } 201.5 D}=0.3 *$ Test $+0.1 *$ Tutorial $+0.6^{*}$ SEE_Theory
Final Attainment:
$A_{\text {FEC } 201.5}=0.8 * A_{F E C 201.5 D}+0.2 * A_{\text {FEC } 201.5 I}$

## CO FEC201.6:

Direct Method
$A_{\text {FEC201.6D }}=1 *$ ScilabPractical
Final Attainment:
$A_{F E C 201.6}=0.8 * A_{F E C 201.6 D}+0.2 * A_{F E c 201.6 I}$

Course Level Gap (if any): No

## Content beyond Syllabus: No

## Lecture Plan (Theory)

| Module | Contents | Hours | Planned <br> Date | Actual Date | Content <br> Delivery <br> Method | Remark |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 01 | The exact differential equation (DE) | 05 | 28/04/2023 |  | Smartboard |  |
|  | Equations reducible to exact DE |  | 02/05/2023 |  | Smartboard |  |
|  | Linear DE |  | 03/05/2023 |  | Smartboard |  |
|  | Equations reducible to linear DE |  | 04/05/2023 |  | Smartboard |  |
|  | Equations reducible to linear DE |  | 09/05/2023 |  | Smartboard |  |
| 02 | Higher order DE <br> - Complementary <br> function (CF) | 05 | 10/05/2023 |  | Smartboard |  |
|  | Higher order DE <br> - Complementary <br> function (CF) |  | 11/05/2023 |  | Smartboard |  |
|  | Particular integral (PI) $e^{a x}$, sine and cosine, $x^{n}$ |  | 16/05/2023 |  | Smartboard |  |
|  | Particular integral (PI) $e^{a x} V(x)$ |  | 17/05/2023 |  | Smartboard |  |
|  | Particular integral (PI) $x V(x)$ |  | 18/05/2023 |  | Smartboard |  |
| 03 | Gamma function | 07 | 08/03/2023 | 08/03/2023 | Traditional |  |
|  | Beta function |  | 09/03/2023 | 09/03/2023 | Traditional |  |
|  | DUIS |  | 13/03/2023 | 13/03/2023 | Traditional |  |
|  | Rectification |  | 15/03/2023 | 15/03/2023 | Traditional |  |
|  | Rectification |  | 16/03/2023 | 16/03/2023 | Traditional |  |
|  | Rectification |  | 20/03/2023 | 20/03/2023 | Traditional |  |
|  | Rectification |  | 22/03/2023 | 22/03/2023 | Traditional |  |


| 04 |  | O5 | Double integration (with <br> limits) | $23 / 03 / 2023$ | $23 / 03 / 2023$ | Traditional |
| :---: | :--- | :---: | :--- | :--- | :--- | :--- |

## Lecture Plan (Tutorial)

The entire class will be divided into three batches. The common tutorial slot for all the bathes is scheduled on Wednesday from 2.45 pm to 3.45 pm .

| Module | Contents | Hours | Planned Date | Actual Date | Remark |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 01 | Differential <br> equations: first order | 01 | $24 / 05 / 2023$ |  |  |
| 02 | Differential <br> equations: higher <br> order | 01 | $31 / 05 / 2023$ |  |  |
| 03 | Rectification, Beta <br> and Gamma functions | 01 | $26 / 04 / 2023$ | $26 / 04 / 2023$ |  |
| 04 | Multiple integration 1 | 01 | $03 / 05 / 2023$ |  |  |
| 05 | Multiple integration 2 |  | $10 / 05 / 2023$ |  |  |
|  | SCILAB Practical | 01 | $17 / 05 / 2023$ |  |  |

## Rubrics for Tutorial

| Indicator | Excellent | Good | Poor |
| :--- | :--- | :--- | :--- |
| Formulation of the <br> problem (2) | Writing all formulae <br> correctly (2) | One or two mistakes in <br> the formulae (1) | Wrong formulae (0) |
| Stepwise explanation <br> $(3)$ | Explained all steps <br> clearly (3) | One or two steps are <br> left out (2) | Important steps are <br> skipped (1) |
| Accuracy in solving <br> $(3)$ | Final answer obtained <br> accurately (3) | Minor error in <br> calculation (2) | Major error in <br> calculations (1) |
| Overall presentation <br> $(2)$ | Introduce new <br> methods of solving (2) | Systematic <br> presentation (2) | Moderate presentation <br> (1) |

## Text Books:

1. Engineering Mathematics-II by G.V. Kumbhojkar, J. Jamnadas Publication
2. Engineering Mathematics-II by Dr. N.R. Dasre, TechKnowledge Publication

## Reference Books:

1. Advance Engineering Mathematics by H.K. Dass, S. Chand \& Company Limited
2. Advance Engineering Mathematics by Peter $O^{\prime}$ Neil, Cengage Learning

## Evaluation Scheme

## CIE Scheme

Internal Assessment: 20 (Average of two tests)

Internal Assessment Scheme


Note: Four to six questions will be set in the Test paper
Verified by:
Subject Expert and Programme Coordinator:
Prasad Lalit


